

# Time-optimal control of GdW30 molecular spin qudit

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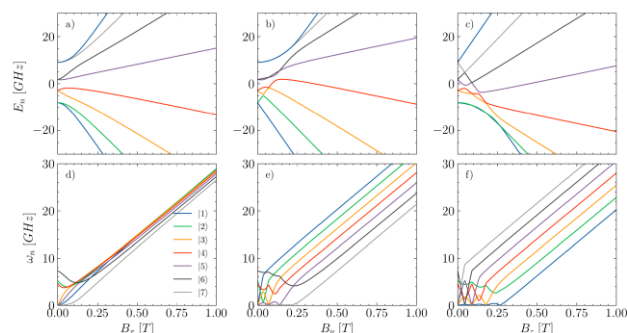
Quantum systems with more than two levels, or qudits, can store more information and enable more efficient operations than standard qubits. Single-molecule magnets (SMMs) are promising qudit platforms thanks to their magnetic anisotropy, long spin-relaxation times, and naturally occurring multilevel spin states.

In this work, we compare two methods for driving transitions between SMM spin states:  $\pi$ -pulse control, which uses resonant magnetic fields, and the quantum Zermelo navigation approach, which yields the time-optimal Hamiltonian for a given state transfer. Our analysis shows that  $\pi$ -pulse control is constrained by strict timing requirements, while the Zermelo method, though optimal in principle, poses significant challenges for physical implementation.

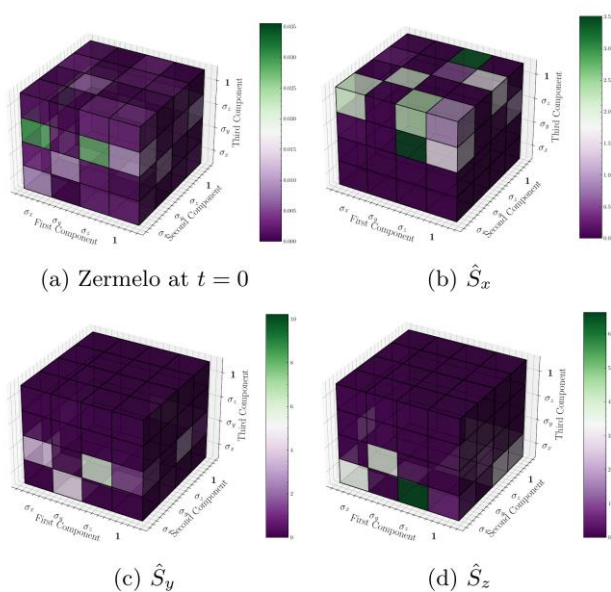
## References

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## Figures



**Figure 1:** (a-c) Eigenenergies of the different molecule eigenstate. (d-f) Associated Bohr frequencies for adjacent eigenstate transitions.



**Figure 2:** Orthogonal decomposition of the (a) Zermelo Hamiltonian, (b) x-component, (c) y-component and (d) z-component angular momentum operators in the Kronecker product basis.