

# Ground states of one-dimensional dipolar lattice bosons at unit filling

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In this talk I will explore possibilities for quantum simulation of extended Hubbard models, focusing on one-dimensional models at unit filling. The dipolar interactions, extending beyond nearest neighbor, are described by effective power-law decay exponent  $\beta_{\text{eff}}$ . While normally  $\beta_{\text{eff}}=3$ , the dipolar interactions are influenced by transversal confinement allowing to consider  $\beta_{\text{eff}}=1-3$ .

Even for  $\beta_{\text{eff}}=3$  the phase diagram already contains phases unobserved under assumption of nearest-neighbor interaction: density waves with longer periods and a novel insulating phase (topologically trivial insulator – TTI).

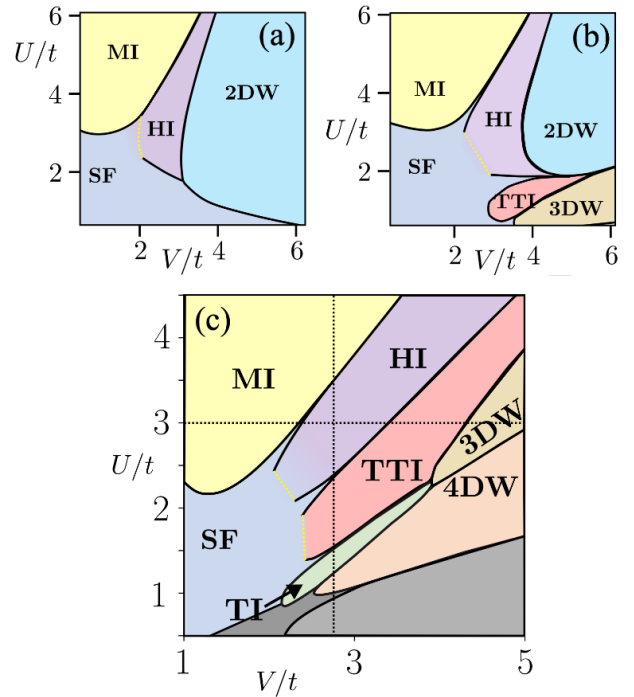
By adjusting the transversal confinement, a longer tail in Dipolar coefficients decay is achieved (we focus on  $\beta_{\text{eff}}$  of 1), enhancing the TTI region and introducing a new TI phase. The TTI phase is between 3DW and Haldane insulator phases, and features interesting correlations of site occupations. Additionally, the TI phase results from the melting of the 4DW phase. Another feature are quantitative changes to the Haldane insulator regime. We will discuss possible realization and observability of these phases in state-of-the-art experiments involving ultracold quantum systems in optical lattices.

The main research method is infinite density-matrix renormalization group (iDMRG) calculation of ground-state phase diagrams.

## References

- [1] Mateusz Łącki, Henning Korbmacher, G. A. Domínguez-Castro, Jakub Zakrzewski, Luis Santos, <https://arxiv.org/abs/2311.14606> (2023)

## Figures



**Figure 1:** Phase diagrams of Extended Bose-Hubbard model. (a) standard model with nearest-neighbor dipole-dipole  $V_n \sim 1/n^3$  terms (b) EBH model with  $V$  terms beyond nearest neighbor (cubic interaction decay) (c) EBH model with  $V$  terms beyond nearest neighbor ( $\beta_{\text{eff}}=1$ ).