

# Twisting the strain lattice in periodically strained graphene

Leo-Malik Benneka<sup>1</sup>

T. Rhouma<sup>2</sup>, C. Winkelmann<sup>1</sup>, G. Trambly de Laissardiere<sup>2</sup>, V. T. Renard<sup>1</sup>

<sup>1</sup>Université Grenoble Alpes, CEA-IRIG-PHELIQS-LaTEQS, 38000 Grenoble, France

<sup>2</sup>CRNS-Laboratoire de Physique Théorique et Modélisation, CY Cergy Paris Université, 95302 Cergy-Pontoise, France

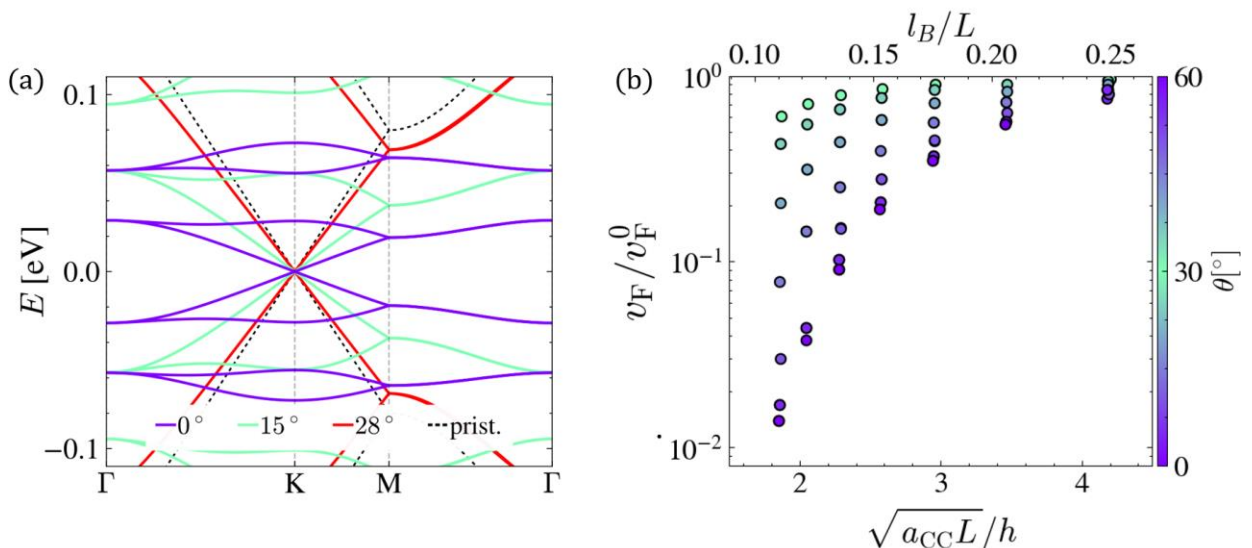
[leo-malik.benneka@cea.fr](mailto:leo-malik.benneka@cea.fr); [vincent.renard@cea.fr](mailto:vincent.renard@cea.fr)

Extensive efforts have focused on engineering flat bands in twisted bilayer graphene, resulting in the emergence of a variety of correlated phases. [1]. An alternative route to realizing similar flat bands involves monolayer graphene strained by a periodic triangular superlattice induced by a corrugated substrate [2]. The height modulation  $h$  and the superlattice periodicity  $L$  serve as tuning parameters for controlling band flattening and the Fermi velocity  $v_F$  near the Dirac cones [3, 4] Fig1-(a). In this work, we used tight-binding calculations to account for relative rotations between the graphene lattice and the superlattice, as it would occur in an experimental device [5]. These calculations reveal that the renormalization of the Fermi velocity  $v_F$  strongly depends on the relative lattice orientation Fig1-(b). This dependence indicates a large spread of the velocity renormalization as the superlattice rotates which will play an essential role in the design of experimental devices aimed at engineering flat bands.

## References

- [1] Cao et al., Nature, 556 (2018) 43-50
- [2] S. P. Milovanović et al., Phys. Rev. B, 24 (2020) 245427
- [3] Mao et al., Nature, 7820 (2020) 215-220
- [4] Yuan et al., Phys. Rev. B, 24 (2024) 245408
- [5] Zhang et al., npj 2D Mater Appl, 2 (2018) 31

## Figures



**Figure 1:** (a) Band structure of periodically strained graphene for  $h = 0,51$  nm and  $L = 15$  nm and (b) the velocity renormalization over the strain induced magnetic length ratio  $l_B/L$  ( $\propto \sqrt{a_{cc}L/h}$ ) and its superlattice rotation dependence.