## High-Mobility Graphene Transistors Shed New Light on an old Quantum Field Theory Controversy

## Emmanuel Baudin<sup>1,2</sup>

Vincent Blavy<sup>1</sup>, Aurélien Schmitt<sup>1</sup>, Bernard Plaçais<sup>1</sup>, Jan Troost<sup>1</sup>, Mark O. Goerbig<sup>3</sup>

<sup>1</sup>Laboratoire de Physique de l'Ecole Normale Supérieure, ENS, Université PSL, CNRS, Sorbonne Université, Université Paris Cité, Paris, France <sup>2</sup>Institut Universitaire de France <sup>3</sup>Laboratoire de Physique des Solides, CNRS UMR 8502, Univ. Paris-Sud, Université Paris-Saclay, F-91405 Orsay Cedex, France

emmanuel.baudin@phys.ens.fr

A seminal result in high-energy quantum electrodynamics is the instability of the vacuum under a strong electric field, leading to the spontaneous creation of particle-antiparticle pairs. This phenomenon, known as the Schwinger effect, is one of the few non-perturbative results in quantum field theory, initially derived by Sauter and later by Schwinger in 1951. [1] It predicts the decay rate w of the false vacuum in d+1 dimensions. While many, including Schwinger, equated the vacuum decay rate with the pair creation rate  $\Gamma$ , this equality has remained controversial. Starting with Nikishov in 1970 [2], several authors have demonstrated through direct calculations of  $\Gamma$  that the relation  $w=\Gamma$  holds only at low fields. [3,4]

The Schwinger instability, requiring electric fields around 10<sup>18</sup> V.m<sup>-1</sup>, was long considered experimentally inaccessible. A breakthrough occurred in 2023 when it was demonstrated that a mesoscopic variant of the Schwinger effect in 1+1 dimensions spontaneously manifests in high-mobility graphene under large bias. [5]

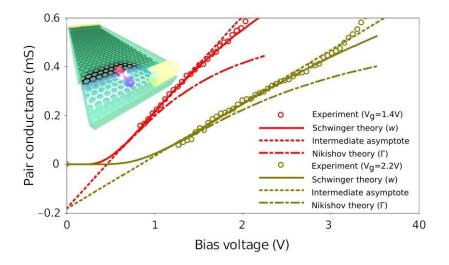
In this presentation, I will elucidate how this experimental setup provides empirical evidence to address the Schwinger-Nikishov controversy, supporting Schwinger's initial interpretation in the context of graphene. I will also discuss the insights this approach offers into the theoretical discrepancy.

We would like to thank Prof. Sergei Gavrilov for bringing this intriguing matter to our attention.

References		
[1]	J. S. Schwinger, "On gauge invariance and vacuum polarization", Physical Review, 82 (1951) 664.	
[2]	A. I. Nikishov, "Barrier scattering in field theory removal of Klein paradox", Nuclear Physics B, 21 (1970) 346.	
[3]	T. D. Cohen, D. A. McGady, "Schwinger mechanism revisited", Physical Review D, 78 (2008) 036008.	
[4]	S. P. Gavrilov, D. M. Gitman, J. L. Tomazelli, "Density matrix of a quantum field in a particle-creating background", Nuclear Physics B, 795(3) (2008) 645-677.	

[5] A. Schmitt, et al, "Mesoscopic Klein-Schwinger effect in graphene" Nature Physics, 19(6) (2023) 830-5.

Figures



**Figure 1:** Comparison between the electron-hole pair creation conductance in the mesoscopic Schwinger effect in graphene according to Schwinger (full line), Nikishov (dashed-dotted line), and the experimental high-mobility graphene differential conductance (hollow circles). (Adapted from [5] - under license CC BY 4.0)