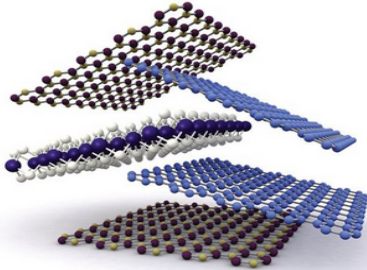
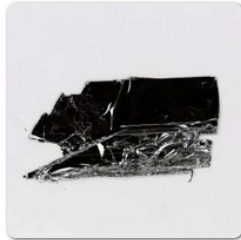


So many possibilities!

<http://hqgraphene.com/>



As₂Te₃



Black Phosphorus



Hexagonal Boron Nitride



HfTe₂



PtSe₂



TiS₂ (1T phase)



Bi₂S₃



GaS



GaSe



TiSe₂



TiTe₂



WTe₂



AuSe (Alpha phase)



Graphite HOPG



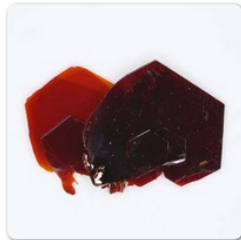
Graphite Natural



GeS



GeSe



HfS₂



MoTe₂ (1T phase)

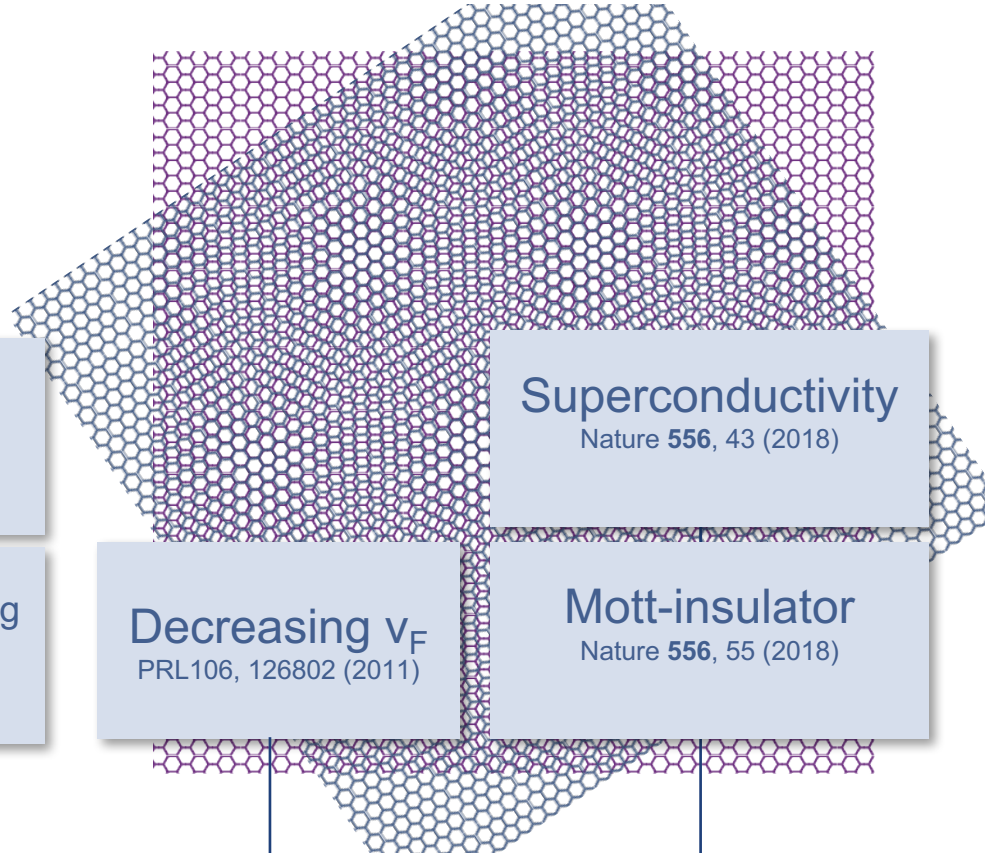


NbSe₂ (2H phase)



NbS₂ (2H phase)

Graphene on graphene - a trivial combination?



2x decoupled
graphene

Superconductivity
Nature **556**, 43 (2018)

Topological
network

This work:
arXiv:1802.07317 (2018)

Counterpropagating
 $\nu = \pm 1$ QH states
PRL 108, 076601 (2012)

Decreasing ν_F
PRL 106, 126802 (2011)

Mott-insulator
Nature **556**, 55 (2018)

Pseudomagnetic
fields

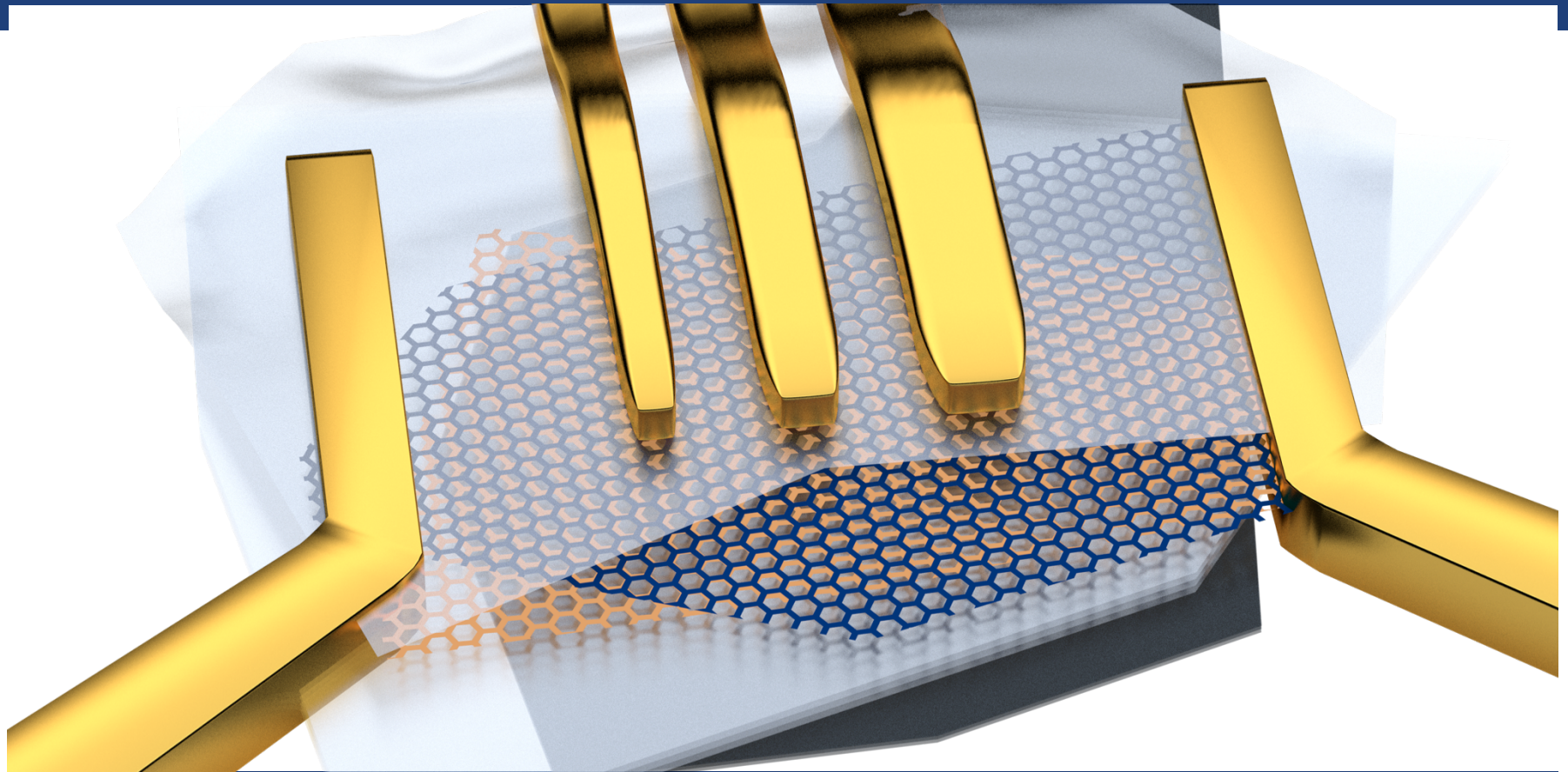
arXiv:1803.04400

large

twist angle θ

small





Transport through a network of topological states in twisted bilayer graphene

Peter Rickhaus, Graphene 2018, Dresden

Acknowledgements

Experiments

Prof. Klaus Ensslin
Prof. Thomas Ihn
Hiske Overwegh
Marius Eich
Riccardo Pisoni
Yongjin Lee

Theory

Sergey Slizovski
John Wallbank

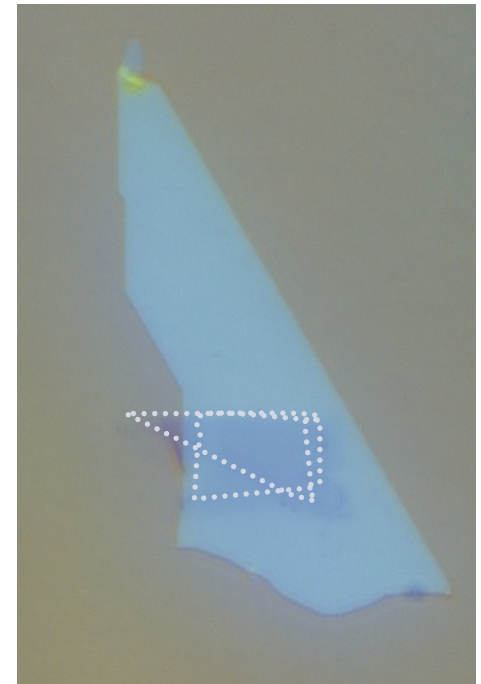
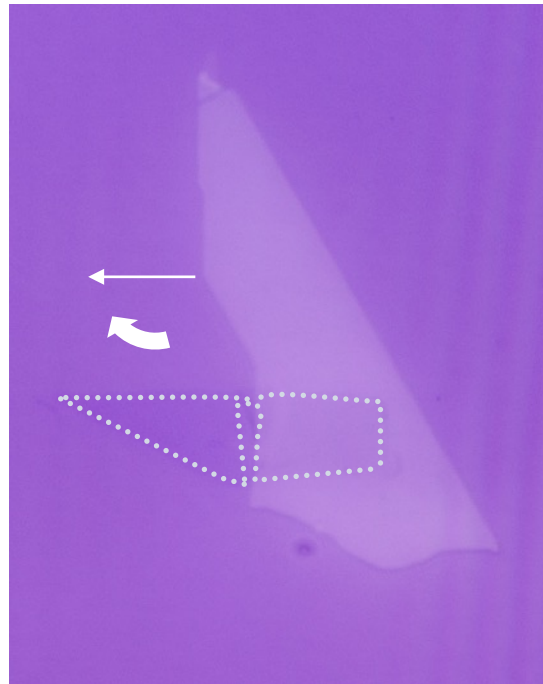
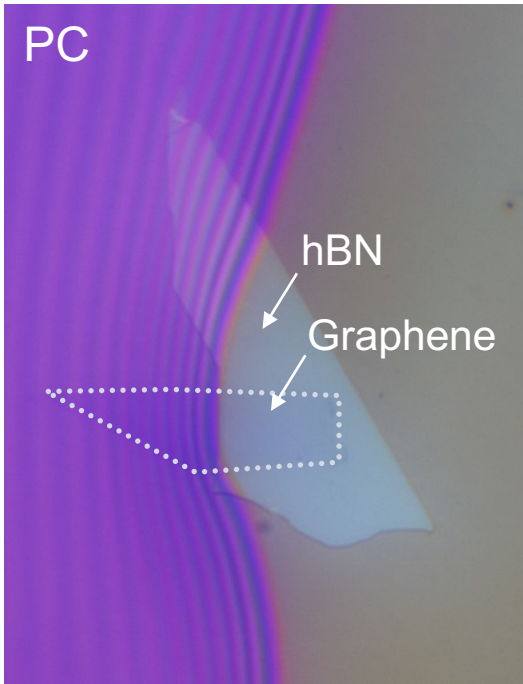
Ming-Hao Liu



FONDS NATIONAL SUISSE
SCHWEIZERISCHER NATIONALFONDS
FONDO NAZIONALE SVIZZERO
SWISS NATIONAL SCIENCE FOUNDATION



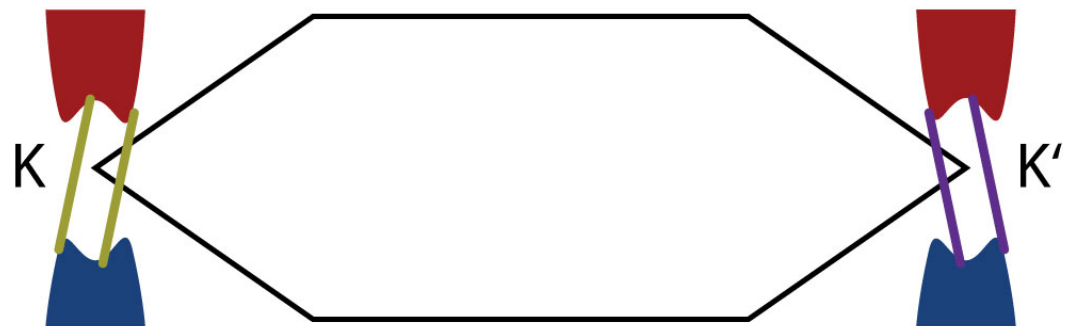
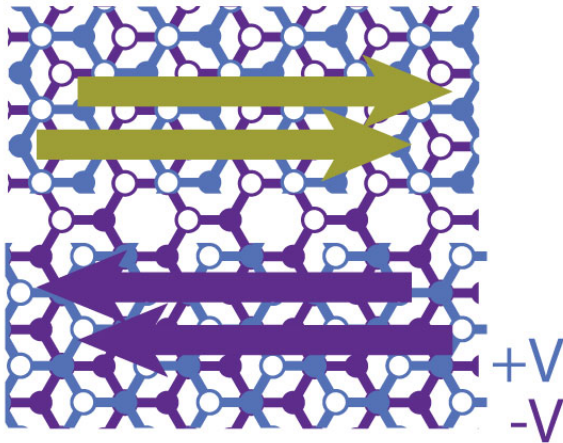
Fabrication



Quantum Valley-Hall effect in Graphene

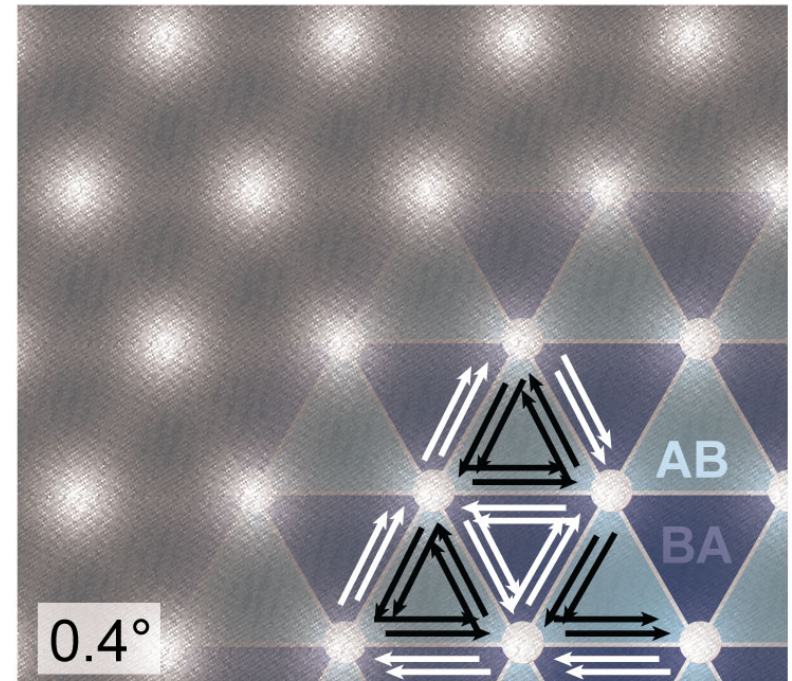
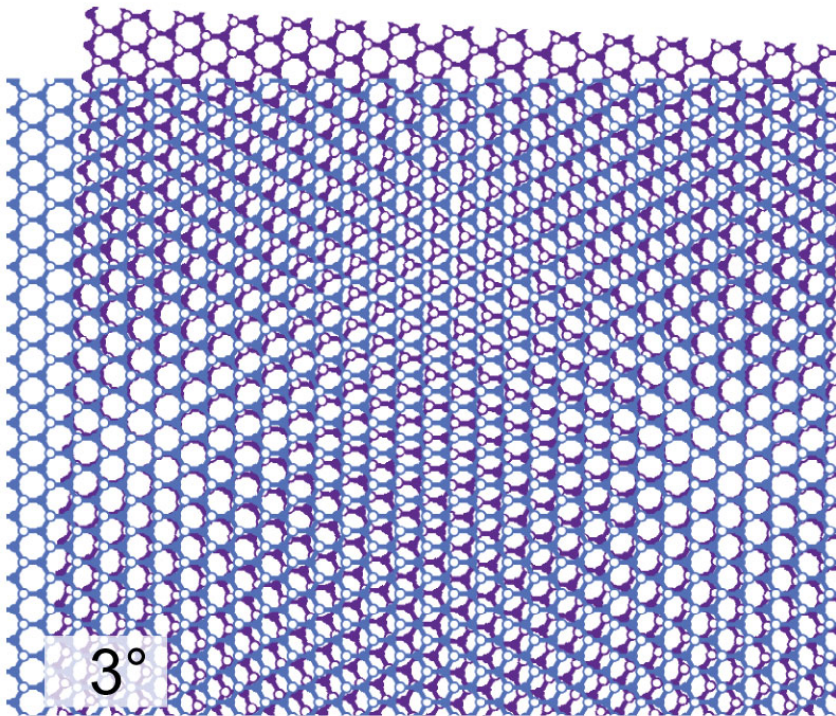
Single-layer Graphene
Bilayer Graphene
+ Interlayer bias $+V/-V$
+ Stacking fault

→ Quantum Valley-Hall effect



Small angle twisted bilayer graphene

... has „a bulk full of boundaries“

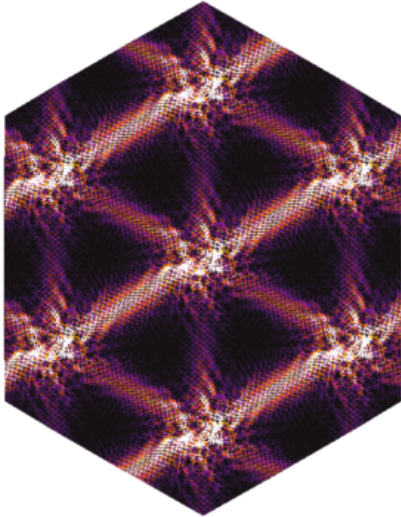


In our device: $\lambda=33\text{nm}$, $\theta=0.4^\circ$

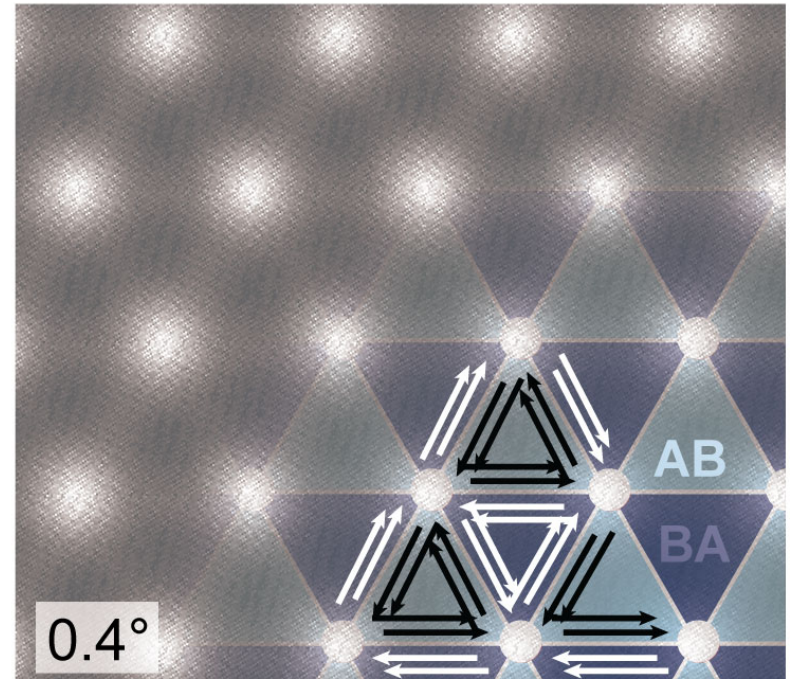
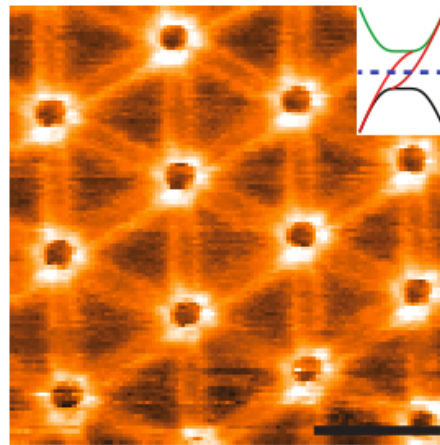
Small angle twisted bilayer graphene

... has „a bulk full of boundaries“

TB theory:



STM:

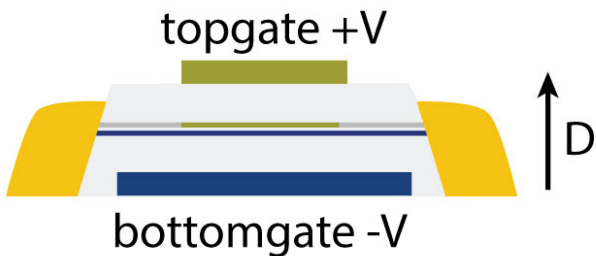
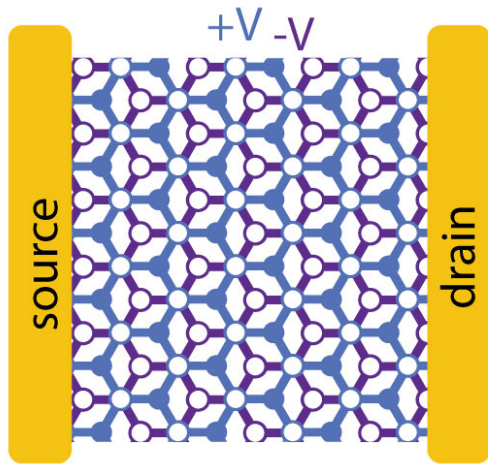


Theory: *P. San-Jose and E. Prada, Phys. Rev. B* **88**, (2013).
 STM: *S. Huang, ... B. J. Leroy, arXiv:1802.02999v1* (2018).

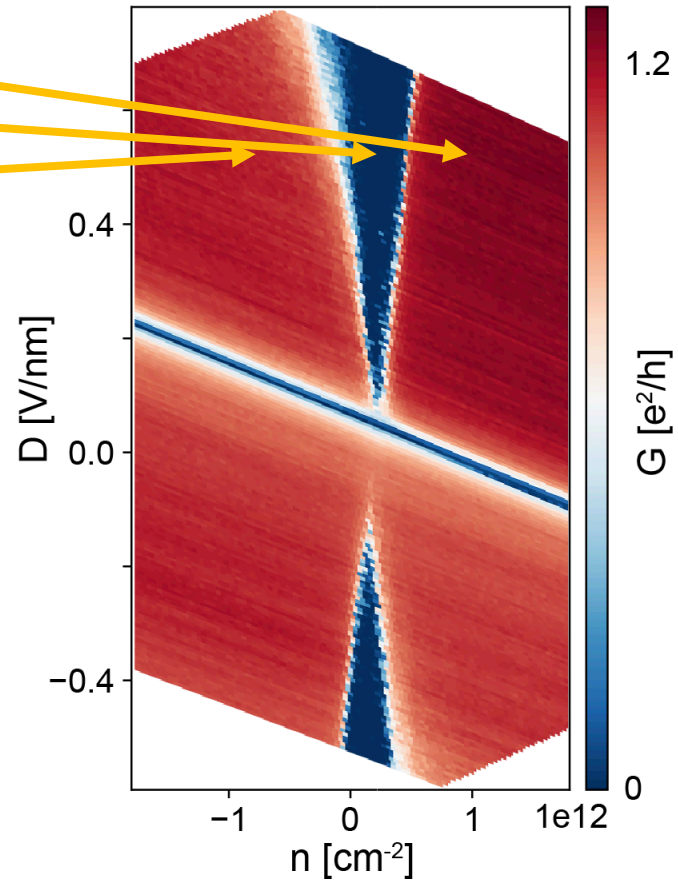
How to measure the topological network in a transport experiment?

2-terminal measurement with global top- and bottomgate?

Measure the gap in bilayer graphene

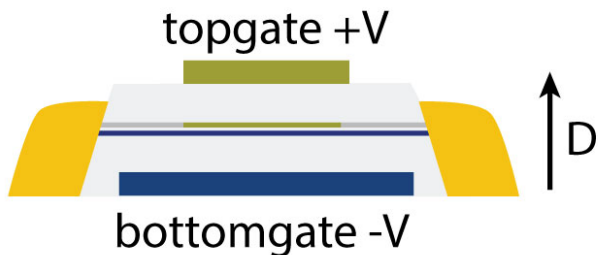
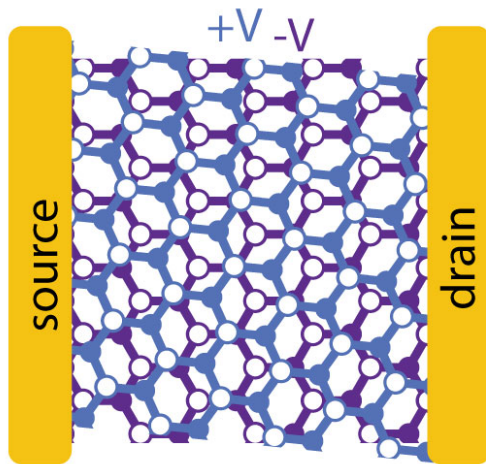


Bilayer graphene

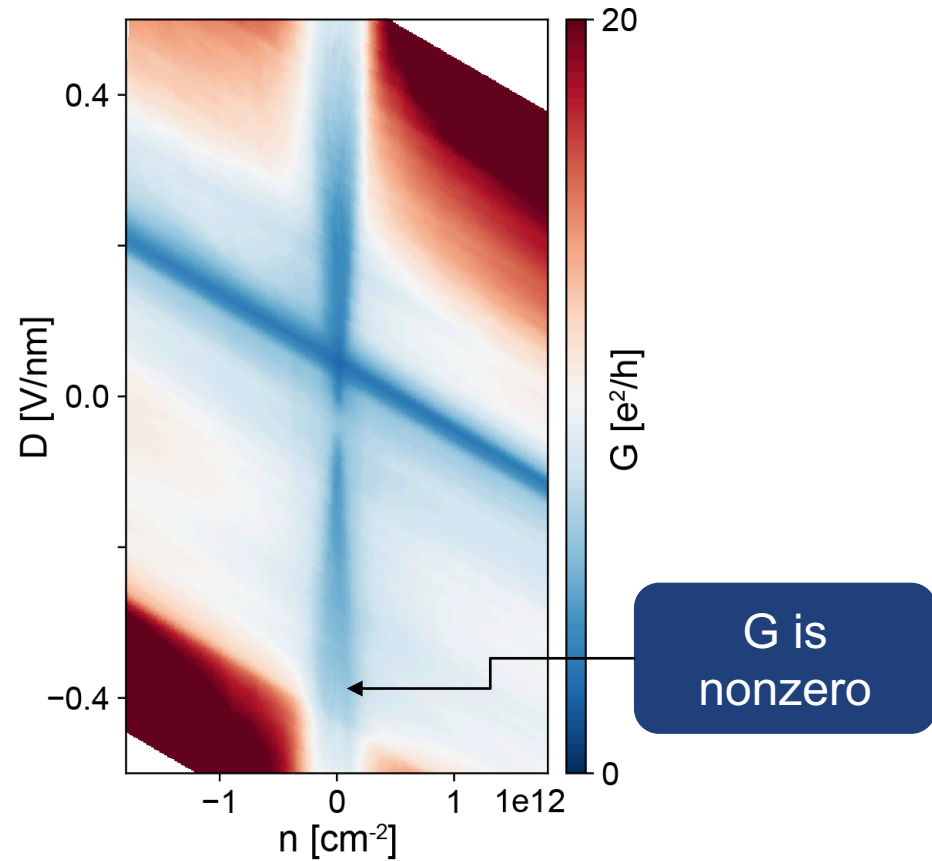


Displacement field: $D \sim V_{tg} - V_{bg}$
 Density: $n \sim V_{tg} + V_{bg}$

Measure the gap in twisted bilayer graphene



Twisted bilayer graphene



Displacement field: $D \sim V_{tg} - V_{bg}$
 Density: $n \sim V_{tg} + V_{bg}$

How to measure the topological network in a transport experiment?

2-terminal measurement with global top- and bottomgate?

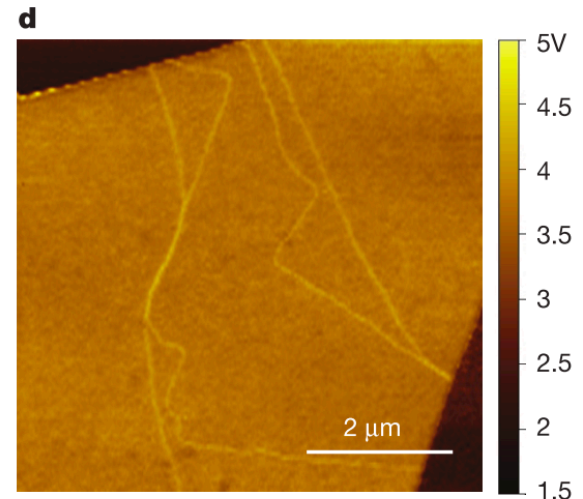
→ not enough information

Hallbar?

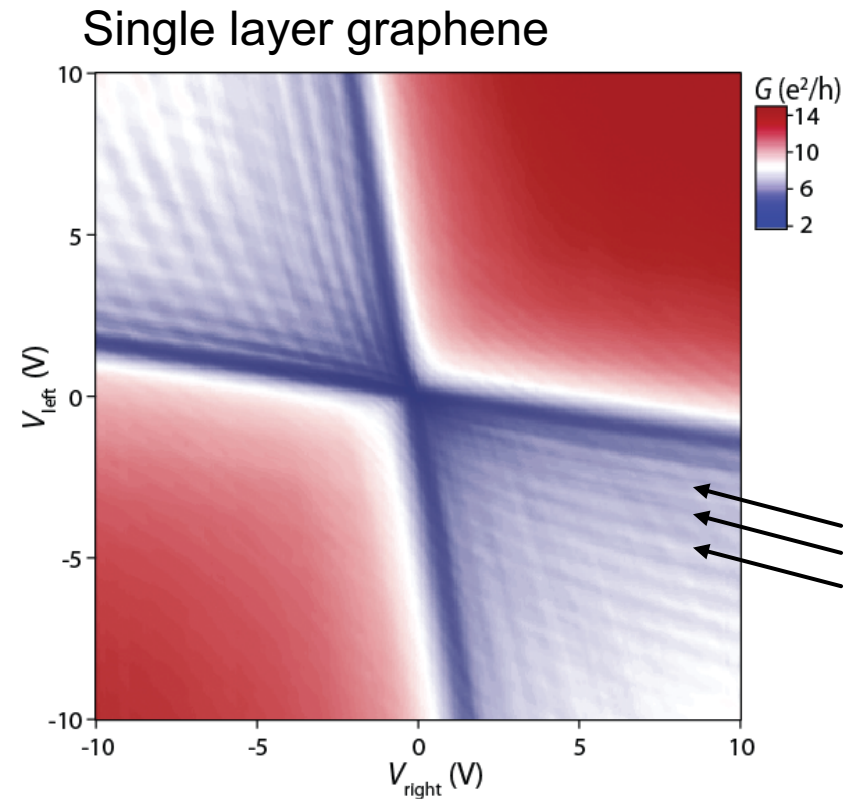
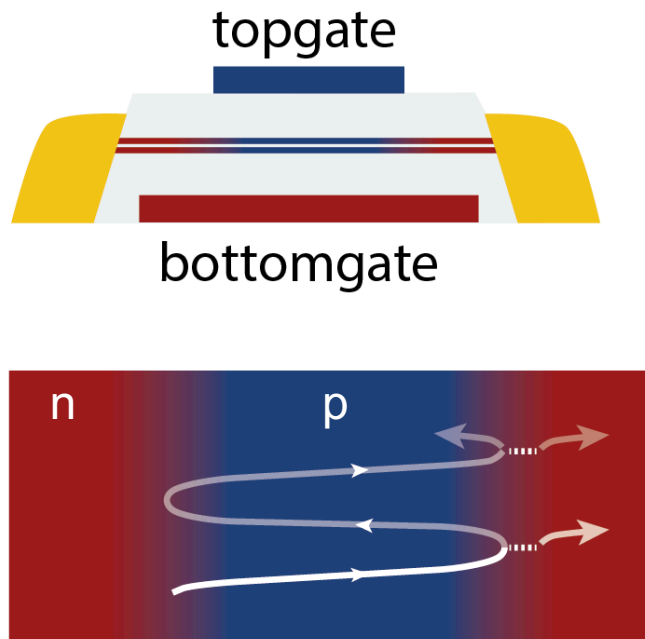
→ probes the boundaries

Conductance of a single boundary?

→ We are interested in the network



Using an electronic Fabry-Pérot interferometer!

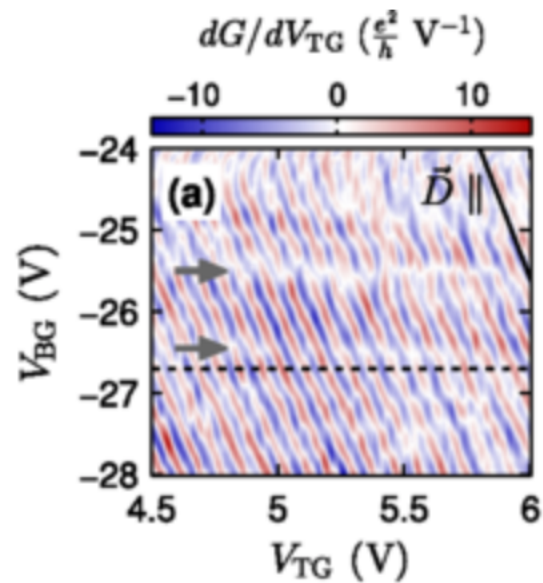
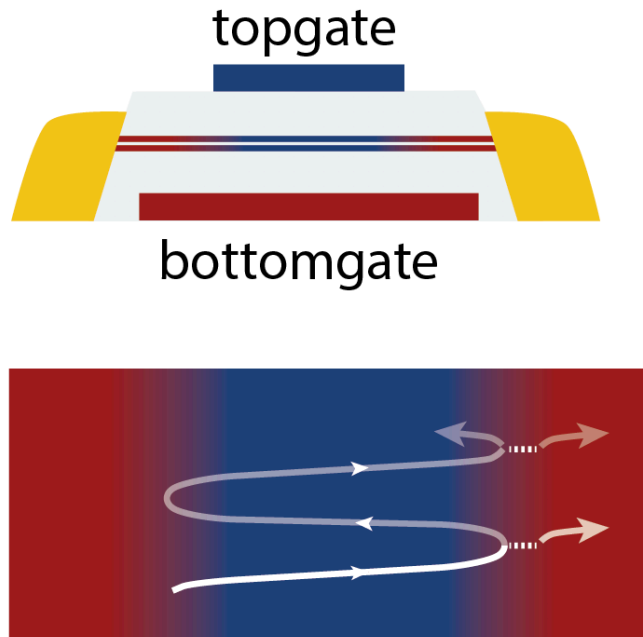


P. Rickhaus, R. Maurand, M.H. Liu et al. Nature Comm. 4, 2342 (2013)

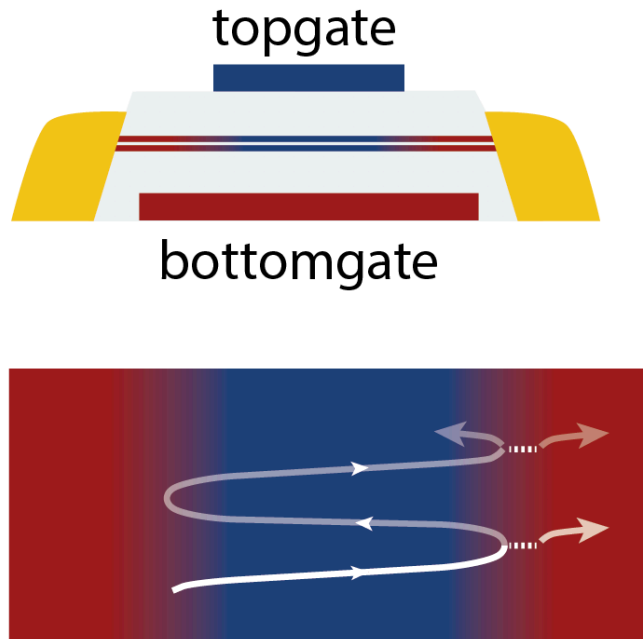
P. Rickhaus, M.-H. Liu, P. Makk, et.al. Nano Lett. 15, 5819 (2015)

Using an electronic Fabry-Pérot interferometer!

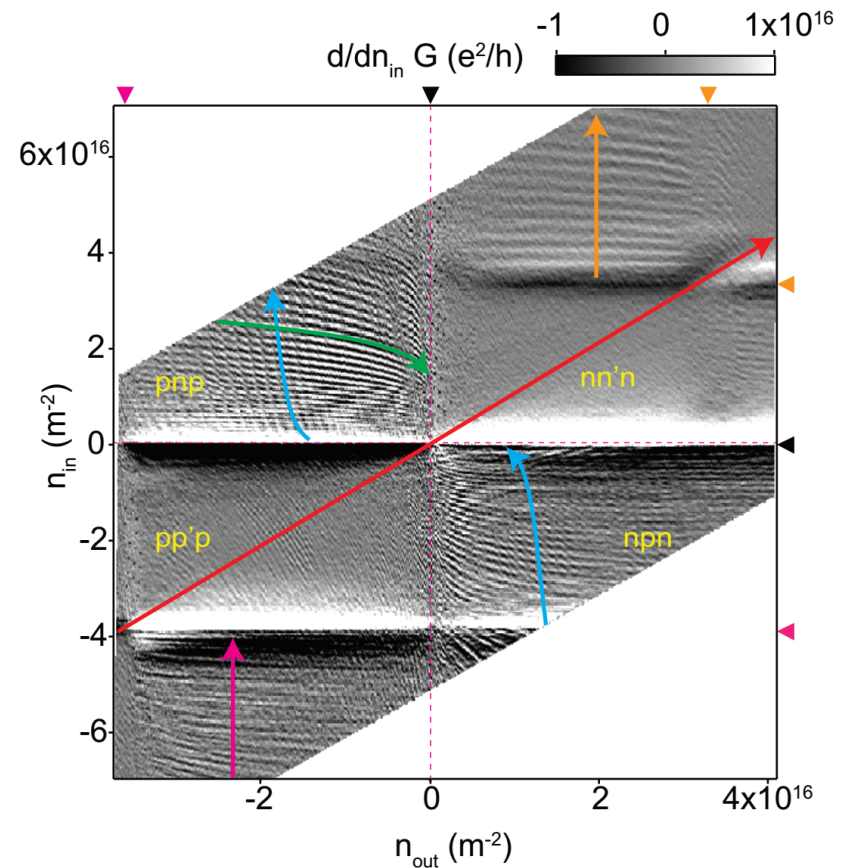
Bilayer graphene



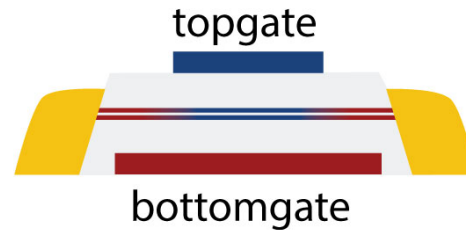
Using an electronic Fabry-Pérot interferometer!



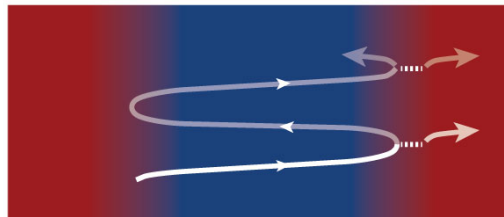
Graphene + hBN moiré superlattice



Using an electronic Fabry-Pérot interferometer!



2D Fabry-Pérot

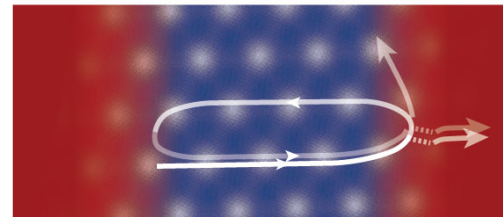


$$N\lambda = 2L$$

$$\lambda = 2\pi/k$$

$$k \sim \sqrt{n}$$

Topological FP (1D)



$$N\lambda = 2L$$

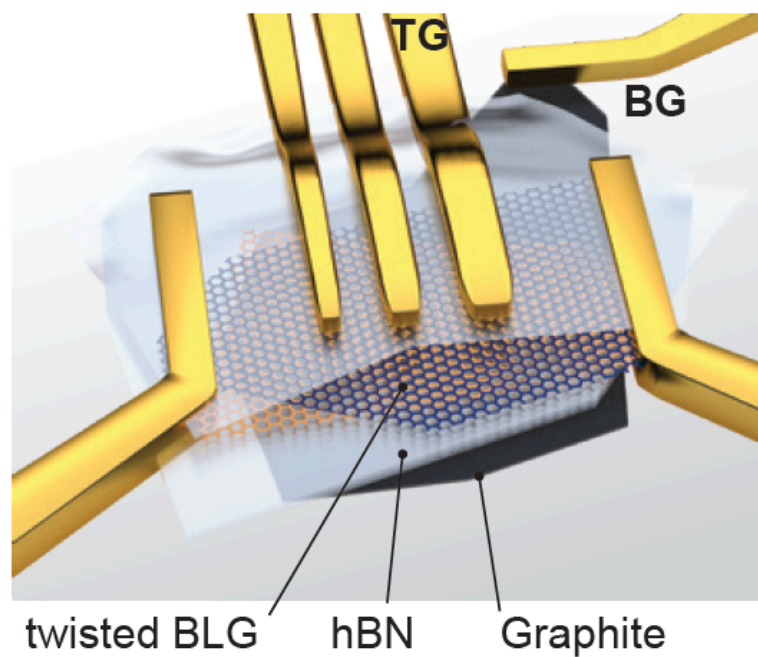
$$\lambda = 2\pi/k$$

$$k \sim n$$

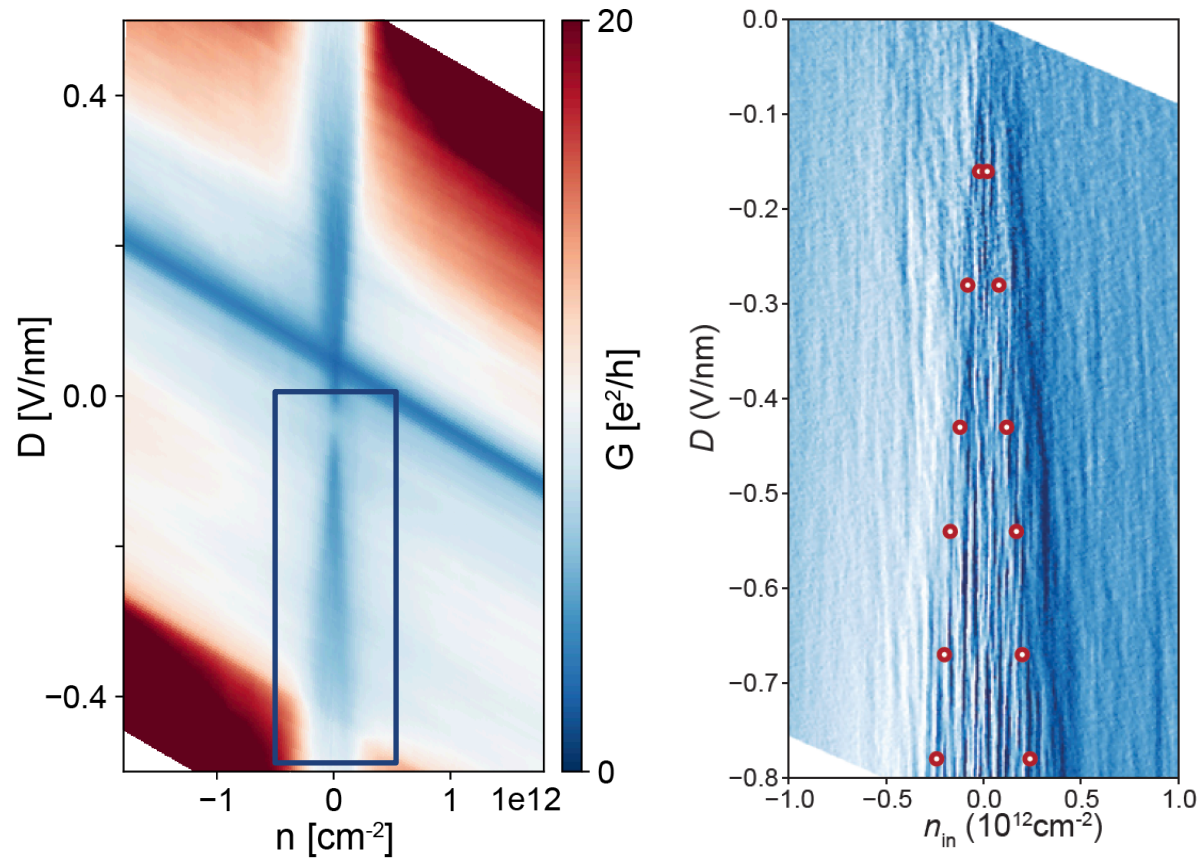
Bending of Fab

P. Rickhaus... C. Schönberger, Nat. Commun. **6**, 6470 (2015).

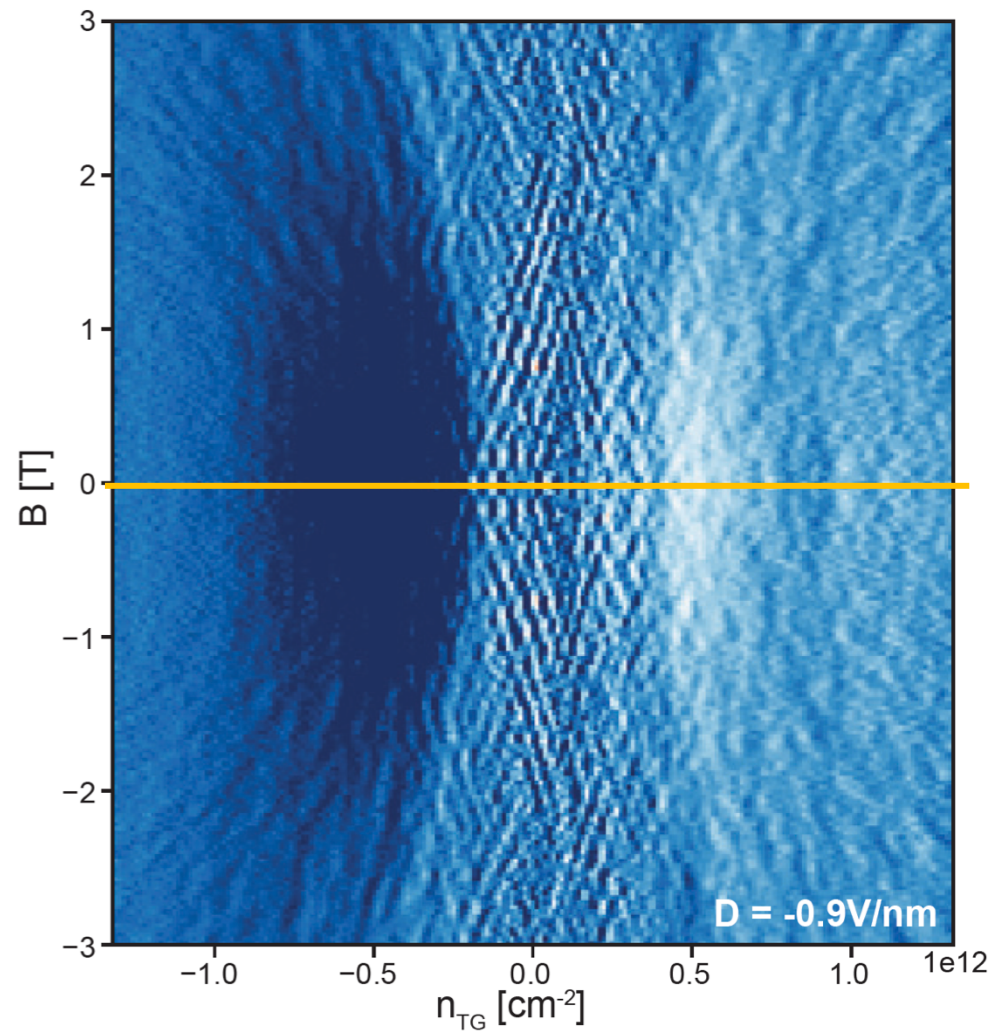
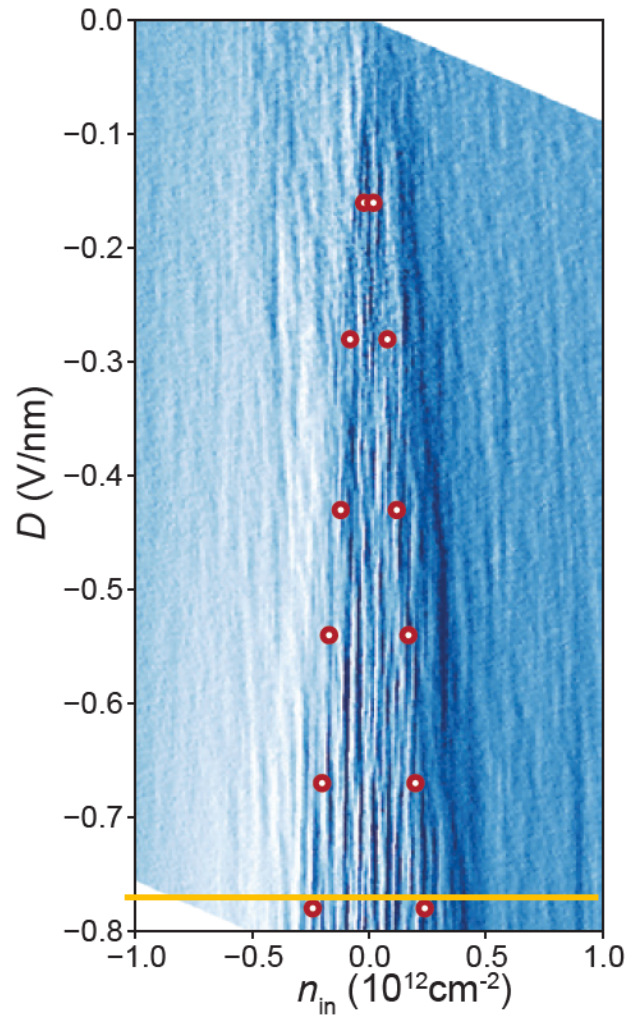
Device with three topgates



Fabry-Pérot resonances in twisted BLG



Fabry-Pérot resonances in twisted BLG

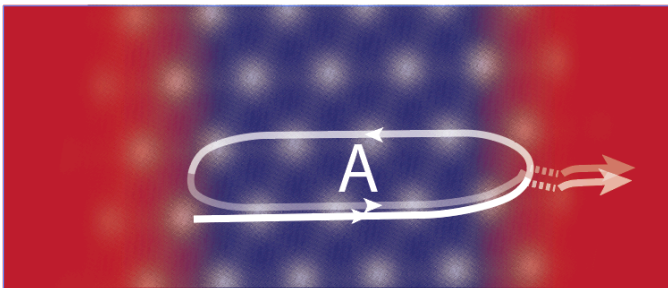


Magneto-conductance oscillations

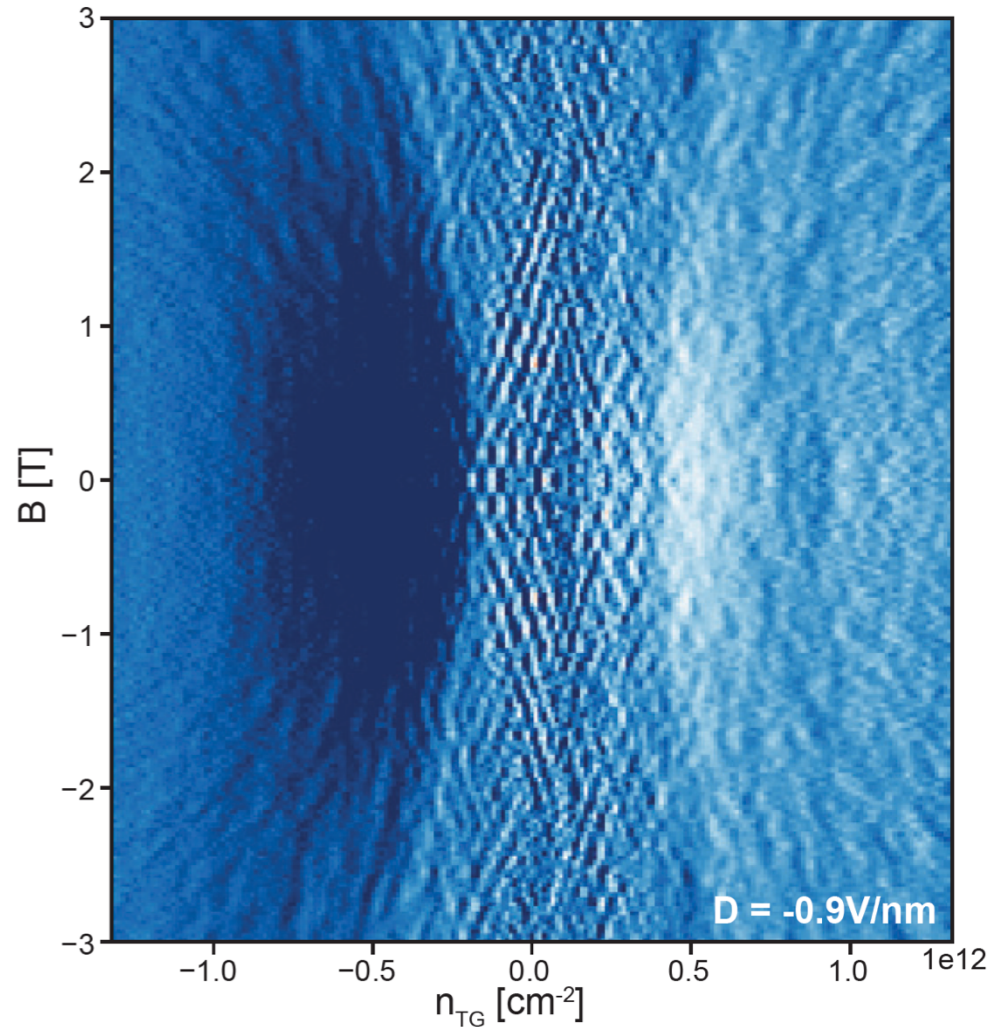
Resonances do not disappear!
They follow the condition:

$$j = L \frac{k_F}{\pi} \pm A \frac{B}{\phi_0}$$

Where A is the area of one row of AB/BA regions:



For different gates (9) lengths
On different samples (3)



Summary

- Topological **network**
- Current flows along ideal geometric boundaries **in the bulk**
- Probed with a Fabry-Pérot resonator
 - Resonances stable in $B \gg 0$
 - Resonances linear in n

Valleytronics:

- FP resonator as source of valley-polarized current

