

Two-Dimensional Polymers: Playing with Structural Topology

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Introduction

In two-dimensional (2D) world, beside graphene's honeycomb structure, there are a large amount of mathematically possible 2D lattices, e.g., square (**sql**), kagome (**kgm**) and hexagonal (**hxl**) lattice. These lattices might be difficult to synthesize as Haeckelites like graphene, but there are possibilities to realize them as conjugated 2D polymers. The electronic properties of these conjugated polymers are determined by structural topology and chemical composition. It has been shown that if 2D polymers can be designed within certain structural topology, similar characteristic bands could be obtained ^[1]. Hence, it's possible to efficiently look over lattices with different structural topology with

Methods

Our TB model Hamiltonian:

$$H = \sum_{i} \varepsilon_{i} c_{i}^{\dagger} c_{i} + \sum_{\langle i,j \rangle} t_{1} c_{i}^{\dagger} c_{j} + \sum_{\langle \langle i,j \rangle \rangle} t_{2} c_{i}^{\dagger} c_{j} + H_{\text{SOC}}$$

contains 1st- (t₁) and 2nd-neighbor (t₂) electron hopping parameters with onsite energies ε_i . Spin-orbit coupling (SOC) are also considered and it can be written in Haldane model form as,

$$H_{\rm SOC} = \sum_{\langle \langle i,j \rangle \rangle} \lambda e^{-i v_{ij} \phi} c_i^{\dagger} c_j,$$

or in Kane-Mele model form as,

$$H_{\rm SOC} = i\lambda \sum_{\langle\langle i,j \rangle\rangle} v_{ij} c_i^{\dagger} \sigma_z c_j$$

where ϕ is staggered-flux parameter chosen to be $\frac{\pi}{2}$, λ is spin-orbit coupling constant, σ_z is Pauli matrix, and $v_{ij} = 1 \ \vee -1$ indicates the orientation path of an electron traveling from vertex i to a 2nd-neighbor vertex j.



Results: fes lattice as an example





Figure 4: Band structures and corresponding Chern numbers for each band of **fes** lattice. With different 1st- and 2nd-neighbor interactions *t*, gaps can be opened at certain high symmetry points.

Making 2D polymers



Figure 5: (a) Atomistic structure of a hypothetical 2D polymer with the underlying **fes** net topology and one connecting C_2 unit (blue circle) between

triangulene units (red circle). (b-e) Band structures of the hypothetical 2D polymers with different number of C₂ units as linkers connecting the squares. For (b), the electronic effective mass is $m_e^* = 0.01$ (blue band, Γ -point) and for holes is $m_h^* = 0.05$ (purple band, M-point)

Conclusion

- > TB model can be used to explore 2D lattices and serves as guidance on building conjugated polymers with same structural topology.
- > Example: **fes** lattice \rightarrow hypothetical 2D polymers
 - \succ Proposed 2D polymers as representative example for implementation \rightarrow possibility to explore properties via structural modifications (e.g. changing linkers)
 - > In this example, SOC-induced band gaps are too small for practical use but low effective masses can be found.

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